

HW03

(4) (A) If your weight is, say, 160 pounds,

then $W = \text{weight} = 160 \text{ lbs} \left(\frac{4.45 \text{ N}}{1 \text{ lb}} \right)$

$$\underline{\underline{W = 712 \text{ N}}}$$

(B) If $W = mg$, then $m = \frac{W}{g}$.

$$\text{so, } \underline{\underline{m = \frac{712 \text{ N}}{9.8 \text{ m/s}^2} = 73 \text{ kg}}}$$

(7) Efficiency = 35%. This means that 35% of input energy is converted into useful work (electrical energy) and $100\% - 35\% = 65\%$ is converted into waste heat.

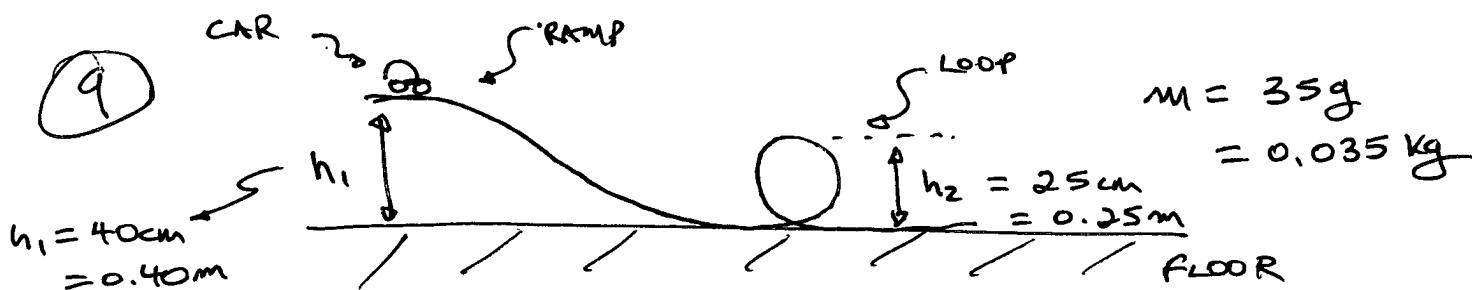
HW04

$$\textcircled{8} \quad m = 2\text{kg} \quad] \quad \text{Hammer is } \underline{\text{moving}}, \text{ so has} \\ v = 20 \text{ m/s} \quad] \quad \text{KINETIC ENERGY.}$$

* AFTER IT SBPS MOVING, ALL OF THAT KE
WILL HAVE BEEN CONVERTED INTO HEAT.

$$\text{so, } Q = \text{HEAT} = KE = \frac{1}{2} m v^2$$

$$\underline{\underline{Q}} = \frac{1}{2} (2 \text{ kg}) (20 \text{ m/s})^2 = \underline{\underline{400 \text{ J}}}$$



* IF WE ASSUME CAR STARTS FROM REST, THEN $V_i = 0 \text{ m/s}$
 AND $KE_i = \frac{1}{2}mv_i^2 = 0$. THUS, ALL THE INITIAL ENERGY
 IS GONE = 0

$$T\epsilon_1 = k\epsilon_1^2 + 6\rho\epsilon_1 = mg h_1 = (0.035 \text{ kg})(9.8 \frac{\text{m}}{\text{s}^2})(0.40 \text{ m})$$

$$\underline{T\epsilon_1 = 0.137 \text{ J}}$$

* By the time it reaches the loop, at its highest point,
 $\Theta = 35\% T_2 = 0.35(0.137 \text{ J}) = 0.648 \text{ J}$

$$\text{so, } H\sigma\varepsilon_2, \quad T\varepsilon_2 = K\varepsilon_2 + Q + G\varepsilon_2$$

$$\text{So, here, } T\epsilon_2 = \cancel{K\epsilon_2} + Q + G\epsilon_2 \\ \Rightarrow \text{AT HIGHEST POINT.}$$

$$\text{so } \underline{\underline{GPE_2}} = T_{E_2} - Q = 0,137 \text{ J} - 0,048 \text{ J} = \underline{\underline{0,089 \text{ J}}}$$

* TO MAKE IT TO TOP OF LOOP, IT WOULD NEED AT LEAST $GPE = mgh_2 = (0.035\text{kg})(9.8\frac{\text{m}}{\text{s}^2})(0.25\text{m}) = 0.086\text{J}$ SO IT HAS MORE THAN ENOUGH TO MAKE IT TO TOP!

HW04

(10) a) $m = 200 \text{ g} = 0.20 \text{ kg}$
 $v_i = 125 \text{ m/s}$

ASSUME HEIGHT OF 6W OFF GROUND IS NEGIGIBLE

$$h_1 = 0.$$

AT TIME 1, $K_{\Sigma 1} = \frac{1}{2}mv_i^2 = \frac{1}{2}(0.20 \text{ kg})(125 \text{ m/s})^2$

$$K_{\Sigma 1} = 1562 \text{ J}$$

$$GPE_1 = mgh_1 = (0.20 \text{ kg})(9.8 \text{ m/s}^2)(0 \text{ m})$$

$$GPE_1 = 0.$$

AT TIME 2, $K_{\Sigma 2} = \frac{1}{2}mv_2^2 = 0 \text{ J}$

$$GPE_2 = mgh_2, \text{ BUT } \underline{\text{WE SEEK }} h_2!$$

SINCE, BY THE LAW OF CONSERVATION OF ENERGY,

$$T_{\Sigma 1} = T_{\Sigma 2}, \text{ WE HAVE } K_{\Sigma 1} = GPE_2$$

$$\text{so } mgh_2 = 1562 \text{ J}$$

$$\text{OR } \underline{\underline{h_2}} = \frac{1562 \text{ J}}{(0.20 \text{ kg})(9.8 \text{ m/s}^2)} = \underline{\underline{79.7 \text{ m}}}$$

(b) THE BULLET WILL HIT THE GROUND AT 125 m/s!

BY "SYMMETRY", WE CAN ARGUE THAT ALL OF THE GPE IT HAS AT THE TOP IS THEN CONVERTED TO KE WHEN IT COMES BACK DOWN.

BY THE LAW OF CONSERVATION OF ENERGY, THIS $K_{\Sigma 3} = 1562 \text{ J}$, WHICH CORRESPONDS TO A SPEED OF 125 m/s (THAT'S HOW WE INITIALLY CALCULATED $K_{\Sigma 1}$!)

